Niche and neutral processes leave distinct structural imprints on indirect interactions in mutualistic networks

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Abstract

1. Indirect interactions are central to ecological and evolutionary dynamics in pollination communities, yet we have little understanding about the processes determining patterns of indirect interactions, such as those between pollinators through shared flowering plants. Instead, research has concentrated on the processes responsible for direct interactions and whole-network structures. This is partly due to a lack of appropriate tools for characterising indirect interaction structures, because traditional network metrics discard much of this information.

2. The recent development of tools for counting motifs (subnetworks depicting interactions between a small number of species) in bipartite networks enables detailed analysis of indirect interaction patterns. Here we generate plant-hummingbird pollination networks based on three major assembly processes—neutral effects (species interacting in proportion to abundance), morphological matching and phenological overlap—and evaluate the motifs associated with each one.

3. We find that different processes produce networks with significantly different patterns of indirect interactions. Neutral effects tend to produce densely connected motifs, with short indirect interaction chains, and motifs where many specialists interact indirectly through a single generalist. Conversely, niche-based processes (morphology and phenology) produced motifs with a core of interacting generalists, supported by peripheral specialists. These results have important implications for understanding the processes determining indirect interaction structures.

KEYWORDS
hummingbird, motifs, plant–pollinator network, pollination
Species in a community are often influenced by other species they do not interact with directly (Strauss, 1991; Wootton, 1994, 2002). Such indirect interactions are a fundamental component of communities, governing ecological and evolutionary processes as much as, or more than, direct effects (Bailey & Whitham, 2007; Guimarães et al., 2017; Martínez et al., 2014; Strauss, 1991; Vandermeer et al., 1985). For example, in plant–pollinator communities, indirect interactions between plants can be mediated by shared pollinator species. These can be facilitative, where one plant attracts pollinators that also visit co-occurring plant species, or competitive, where one plant attracts pollinators away from another plant, through being more abundant or more attractive to the pollinator than the competing plant (Carvalheiro et al., 2014; Mitchell et al., 2009; Morales & Traveset, 2009). These indirect interactions can have important implications for community persistence and stability. For example, in communities dominated by apparent competition, the sharing of interaction partners is restricted, and thus perturbations are limited in how much they can propagate through the community (Thébault & Fontaine, 2010). Conversely, communities dominated by apparent facilitation favour connected, nested structures with enhanced species coexistence (Bastolla et al., 2009; Thébault & Fontaine, 2010).

Despite the importance of indirect interactions for ecological and evolutionary dynamics, we have little understanding of the processes that lead to their formation and maintenance in mutualistic networks. Instead, research has focused on determining processes that give rise to whole-network patterns or individual direct interactions, leaving the determinants of local-scale patterns of indirect interactions largely unexplored (Maruyama et al., 2014; Olito & Fox, 2015; Simmons, Vizentin-Bugoni, et al., 2019; Vázquez et al., 2009).

Knowledge of the processes responsible for indirect interactions is not only important in terms of understanding the assembly and maintenance of community structure, but could also have implications for conservation. Three distinct processes have been used to explain mutualistic network structure: morphological matching (similarity in size and shape of a flower’s corolla and a pollinator feeding apparatus [Sonne et al., 2020b]), phenological overlap (co-occurrence in time of a flower and pollinator) and neutral effects (assembly based on species interacting randomly in proportion to their abundance). If, for example, indirect interaction structures are a result of neutral effects, then conservation might focus on preserving species’ abundance distributions. If network structure is primarily determined by morphological matches between species, then conservation might focus on ensuring the presence and persistence of species with complementary sets of morphological traits. If phenological overlap between species is the main process that governs network structure, then conservation might need to ensure the community comprises sets of species with synchronous timings, so that interactions remain established under climate change. Moreover, if it can be established that different processes form different indirect interaction structures—that is, if different processes leave distinct structural imprints—it may be possible to infer the processes operating in a community from network topology alone, without having to expend valuable time and money collecting the extra data required to measure processes explicitly.

Here we aim to understand the determinants of different indirect interaction structures by comparing the indirect interaction structures produced by three distinct assembly processes: morphological matching and phenological overlap (collectively known as niche-based processes), and abundance (neutral effects). We use 24 empirical datasets on species abundance, morphology and phenology from plant–hummingbird pollination communities across the Americas to understand network structures that result from different processes. We find that different processes leave distinct imprints on the structure of indirect interactions in mutualistic networks, and conclude that this could have important implications for conservation in the future.

2 | MATERIALS AND METHODS

We created simulated networks under three processes (morphological matching, phenological overlap and neutral effects) from a dataset of 24 plant–hummingbird pollination networks (Sonne et al., 2020a, 2020b), which contained corresponding information on plant and hummingbird abundance, morphology (hummingbird bill length and floral corolla depth) and phenology. Communities sampled span from Mexico to Brazil. Full details of the data are given in Sonne et al. (2020b).

For each of these sets of abundance, morphology and phenology data, we generated matrices giving the probabilities of species interactions under three different processes, following Vázquez et al. (2009): neutral effects, morphological matching and phenological overlap. Neutrality was simulated using an abundance matrix, $A$. Elements of $A$ were the product of each species’ relative abundance. Thus, element $a_{ij}$ represents the interaction probability between plant species $i$ and hummingbird species $j$ and is equal to the product of the relative abundances of $i$ and $j$. This matrix therefore represents neutrality: the likelihood of species interacting randomly in proportion to their abundance.

We create two morphological match matrices, corresponding to two different methods in the literature. In the first matrix, $M_p$, hummingbird bill lengths were first multiplied by 4/3 to account for the extension of the tongue beyond the length of the bill (Vizentin-Bugoni et al., 2014). Matrix elements were then set to 1 if the bill length (plus the extension of the tongue) equaled or exceeded the floral corolla depth, and 0 otherwise (Vizentin-Bugoni et al., 2014). This follows the ‘forbidden link’ concept where species are only able to interact if there is a morphological match (i.e. if the hummingbird can reach the nectar in the floral corolla). Matrix elements were then divided by the sum of the matrix to convert the elements to probabilities (Vizentin-Bugoni et al., 2014). In the second matrix, $M_d$, probabilities were inversely proportional to the difference between floral corolla depth and hummingbird bill length (Weinstein & Graham, 2017). This approach relaxes the assumption that a hummingbird is equally likely to interact with all flowers that have a floral corolla equal to or shorter than its bill, and makes morphological match a continuous, rather than binary,
quantity. If the difference between floral corolla depth and hummingbird bill length was 0, the difference was set to the minimum non-zero difference between corolla depth and bill length in the web to prevent errors when dividing by zero values.

Elements of the phenological overlap matrix, \( P \), were calculated using matrix multiplication (Vázquez et al., 2009). Plant and hummingbird phenology data, \( O_p \) and \( O_h \) respectively, had species as rows and dates as columns, with cells set to 1 for presence and 0 for absence of hummingbirds/flowers. Phenological overlap was then quantified as \( P = O_p \times O_h \) where ‘’ indicates the matrix was transposed (Vázquez et al., 2009). Thus, element \( P_{ij} \) of \( P \) represents the number of time slices in which plant species \( i \) and hummingbird species \( j \) co-occur.

For each assembly process, and for each dataset, we generated 1,000 binary interaction matrices from the probability matrix using the ‘mgen’ function in the ‘bipartite’ R package (Dormann et al., 2009). In total, there were 96,000 binary matrices (1,000 generated matrices \( \times 4 \) assembly processes \( \times 24 \) sets of abundance, morphology and phenology data). Generated matrices had the same connectance as their corresponding empirical matrices.

### 2.1 Characterising indirect interactions using motifs

We next characterised the different patterns of indirect interactions for each network and assembly process. Mutualistic networks are generally characterised using metrics that capture a particular facet of whole-network structure in a single number, such as levels of connectance, nestedness and modularity (Dalsgaard et al., 2013; Olesen & Jordano, 2002). While these metrics are undoubtedly useful, they are not always appropriate for considering indirect interactions in detail because compressing a network into a single number necessarily discards a substantial amount of topological information about indirect interactions (Simmons, Cirtwell, et al., 2019).

Here we instead characterise network structure using motifs, which have recently been proposed as a way to capture indirect interactions in bipartite networks in much greater detail than traditional metrics like nestedness and modularity (Simmons, Cirtwell, et al., 2019; Simmons, Sweering, et al., 2019). As motifs are a relatively new technique in the study of mutualistic networks, we provide a brief introduction to the approach and outline a motif typology to aid their interpretation.

Just as LEGO sets are complex structures made from many small, distinct parts (Jordano, 2016a), networks can be thought of as being composed of many small subnetworks, or ‘building blocks’, known as motifs. Motifs take the form of small groups of species interacting with each other in particular ways. While network-level metrics like connectance, nestedness and modularity characterise network structure at the ‘macro-scale’, and species-level metrics like degree, \( d \), and centrality measures characterise the role of individual nodes at the ‘micro-scale’, motifs sit between these two extremes and capture ‘meso-scale’ network structure: local patterns of indirect interactions (Figure 1a).

As there is only a finite number of ways to arrange interactions between a given number of species, there is also only a finite number of motifs with a given number of nodes. In other words, all networks are made up of a limited number of different types of building block. For example, there are only 17 possible ways to arrange interactions between up to five species, and hence there exist 17 different motifs containing between two and five nodes (Figure 1b; note here that only 16 motifs are shown because we omit the simple two-node motif comprising a single link between one plant and one pollinator because it represents a direct interaction only without indirect effects).

In Figure 1b we propose a classification of motifs into four groups based on their indirect interaction structures. The groupings were initially decided based on visual inspection of the motifs, and then supplemented with calculations on path length. Path length and visual inspection have a greater ability to distinguish groupings in our case than connectance. For example, all ‘fan’ and ‘complete’ motifs have a connectance of 1, but visual inspection and mean path length reveals these likely have different indirect interaction effects and should therefore be treated as separate groups. ‘Core-peripheral’ motifs are motifs comprising a core of interconnected generalist species, attached to two or more peripheral specialists. The mean path length between species in these motifs is high. Path length is defined as the number of links between two nodes. For example, in ‘core-peripheral’ motif 5, the path length between the black hummingbird and the black plant is 3 because the shortest (and in this case, only) path between these species involves three links (Figure 1b). The mean path length of a network is the average of the shortest paths between all pairs of species. Differences in mean path length were significant between the four motif groups (\( F(3, 12) = 14.02, p < 0.001 \)). The relatively high mean path length of 1.85 in core-peripheral motifs means that, on average, nodes are further apart. In turn, we expect indirect interactions in these motifs may be weaker, because indirect effects are expected to decay with increasing path length. For example, a change in the abundance of species A is likely to more strongly affect the abundance of species B if there is only one intermediary species (\( A \rightarrow C \rightarrow B \)) than if there are four intermediary species (\( A \rightarrow C \rightarrow D \rightarrow E \rightarrow F \rightarrow B \)). As well as pathways between non-interacting species being longer, core-peripheral motifs also have fewer pathways between non-interacting species, because these motifs contain few links. Again, this may reduce indirect effects (Guimarães et al., 2017) which, in turn, could help stop perturbations spreading through a network (Thébault & Fontaine, 2010).

‘Complete’ motifs stand in stark contrast to core-peripheral motifs. In complete motifs, all species interact with each other, creating many pathways between non-interacting species, and thus many ways for indirect effects to be transmitted. The mean path length is short, so the many indirect effects may also be stronger. Predicting dynamics in complete motifs is likely to be harder, due to the multitude of possible pathways.

‘Asymmetric complete’ motifs are similar to complete motifs, except that one of the species in the motif is a specialist. Thus, asymmetric complete motifs contain a core where all species interact with each other, attached to a lone specialist species. Asymmetric complete motifs are a special case of ‘core-peripheral’ motif, with lower mean
FIGURE 1  (a) Schematic showing how a small four-species network (top) can be characterised at three scales. Macro-scale metrics, such as modularity, nestedness and connectance, summarise the structure of the whole network. Micro-scale metrics, such as d’, degree or dependencies, characterise the structure of a single node. Motifs sit between these two extremes, at the meso-scale, capturing local-scale patterns of indirect interactions between species. The ‘meso-scale’ level shows the five types of motif that make up the macro-scale network. Note that the network itself is a four-species motif and so, for this example, we only consider motifs with fewer than four species (two- and three-species motifs). Importantly, motifs do not discard information about macro-scale structure. (b) A possible grouping of three- to five-node motifs by the broad indirect interaction structures they represent. Nodes in the bottom level of motifs are hummingbirds and nodes in the top level of motifs are plants. Each node represents a different species of animal or plant. Small numbers next to each motif are the ID of that motif, following Simmons, Cirtwill, et al. (2019) ‘Core-peripheral’ motifs contain a core of interacting generalist plants and pollinators (highlighted in red), connected to two or more peripheral specialist species. ‘Complete’ motifs are where generalists interact with generalists and all possible interactions are realised. ‘Fan’ motifs feature two or more specialists interacting with a single generalist. ‘Asymmetric complete’ motifs are the same as ‘complete’ motifs but linked to a single specialist. Thus, they are a particular type of ‘core-peripheral’ motif. Again, the core of interacting generalists is highlighted in red. For each motif, we calculated the mean path length (mean number of links between all pairs of nodes), and report the mean of these values across all motifs in each group below the group name. ‘Weak’, ‘Strong’, ‘Medium-Strong’ and ‘Medium-Weak’ indicate the possible strength of indirect interactions within motifs of each group; these descriptors are coloured blue to indicate weaker indirect interactions (longer average path lengths) and green to indicate stronger indirect interactions (shorter average path lengths). The strength of the indirect effect between two nodes tends to decay with increasing path length between the nodes, such that nodes that are close to each other, topologically, likely have stronger indirect effects between them than nodes that are far apart. Thus, for example, nodes in ‘core-peripheral’ motifs with a high average path length likely experience weaker indirect effects than ‘complete’ motifs, which have short average path lengths.
path length and higher number of pathways than the main set of core-peripheral motifs, and thus possibly slightly stronger indirect effects. As the generalists in these motifs might be able to buffer changes in each other’s abundances, the generalists may have a stronger effect on the specialist, than vice versa (Simmons, Cirtwill, et al., 2019). The specialist species’ generalist partner has high levels of redundancy in its interactions and thus may be a reliable partner for the specialist. However, asymmetric complete motifs may be less effective than core-peripheral motifs at curbing the spread of perturbations through the network as a whole, as most of their constituent species are involved in the hyperconnected core (Vieira & Almeida-Neto, 2015).

‘Fan’ motifs are the final group, comprising two or more specialists indirectly interacting via a shared generalist. These motifs extend the classic apparent competition and exploitative competition motifs from food webs to having any number of specialists interacting with a single generalist. Consider a motif where two plant species interact indirectly through a single pollinator species (the ‘fan’ motif 3 in Figure 1b). This could represent indirect facilitation, where an increase in the abundance of the first plant increases the abundance of the second plant (Moeller, 2004; Sotomayor & Lortie, 2015). Alternatively, such a motif could represent exploitative competition for the pollinator or interference competition through heterospecific pollen deposition (Chittka & Schürkens, 2001; Flanagan et al., 2010; Hochkirch et al., 2012; Mitchell et al., 2009; Moeller, 2004; Simmons, Cirtwill, et al., 2019; Ye et al., 2014). Indirect interactions in fan motifs may be relatively strong, with a medium-short path length.

We note that while path lengths are significantly different between the groups of motifs, in absolute terms some of the differences are small, such as between complete and fan motifs or between fan and asymmetric-complete motifs. While we expect the differences in path lengths, and overall structures, will lead to different strengths of indirect interactions between the four motif groups, a full analysis quantifying differences in dynamics is necessary to confirm this.

By breaking down a network into its constituent motifs, it is possible to explicitly characterise indirect interaction structures between small groups of species, without losing any information about broader network structure. Specifically, motifs capture the topology of interaction chains, where changes in the abundance of one species influence the abundance of another species, through altering the abundance of one or more intermediary species (Simmons, Cirtwill, et al., 2019; Wootton, 1994). Even a simple four-species motif contains six different indirect interaction chains with up to two intermediary species (Figure 2). Larger and more complex motifs contain even richer detail on indirect interaction structures. This high level of detail is the advantage of the motif approach, allowing information about indirect interactions to be captured with a level of precision that is not possible when using traditional network metrics. Importantly, this extra information translates into novel and important insights into empirical data. For example, a recent study quantified species roles using a popular specialisation metric, d’, which measures the extent to which species’ interactions diverge from what would be expected if available partners were visited randomly (Kaiser-Bunbury et al., 2017). Using this metric, two key pollinator species were found to play similar roles in the community, both being super-generalists (Kaiser-Bunbury et al., 2017). However, when their roles were quantified using motifs, details of their indirect interactions were uncovered, revealing that the species actually played significantly different roles in the community: one was found to interact indirectly with generalist pollinators, while the other interacted indirectly with more specialist pollinators via shared specialist plants (Simmons, Cirtwill, et al., 2019). These conclusions matched observations in the field that could not be captured or described using traditional network metrics (C. Kaiser-Bunbury, pers. Comm., June 2018).
We therefore used motifs to characterise indirect interactions in our analysis. Specifically, we calculated the mean frequency of all motifs up to five nodes (see motif topologies in Figure 1b) for each network and assembly process using the ‘BMOTIF’ R package (Simmons, Sweering, et al., 2019). To control for variation in network size, motif frequencies were normalised as a proportion of the total number of motifs within each motif size class (the number of nodes a motif contains; Baker et al., 2015). This was done to control for the fact that smaller motifs can be nested within larger motifs. As there is only one two-node motif (a single link between two nodes), and thus only one motif in the two-node size class, this was excluded from analyses because its normalised frequency would always equal one. Six-node, and larger, motifs were excluded because commonly studied indirect interactions, like apparent competition, are present in smaller motifs and five-node motifs already contain varied and long interaction chains with up to three intermediary species between two indirectly interacting partners. Limiting to five-node motifs was also beneficial for visualisation, interpretation and computational reasons.

### 2.2 Statistical analysis

We used an ANOVA framework to assess statistical differences between the frequencies of motifs in networks generated using different assembly processes. First, a MANOVA was used with frequencies of all 16 motifs as dependent variables and assembly process as the independent variable to determine whether there was an overall effect of assembly process on motif frequency distribution. Then, to identify how assembly processes affect specific dependent variables, we conducted univariate ANOVAs for each motif. For this, pairwise comparisons between assembly processes were calculated using the ‘multcomp’ R package (Hothorn et al., 2008). Adjusted p-values were used to account for multiple comparisons, using the ‘single-step’ method in ‘multcomp’.

### 2.3 Comparison to empirical networks

We compared the motif distributions produced by the abundance, morphology and phenology probability matrices to those observed in empirical networks. Specifically, we calculated the normalised frequencies of all motifs up to five nodes in the 24 empirical plant–hummingbird networks that accompanied the 24 sets of abundance, morphology and phenology data. For each network, we then measured the Bray–Curtis dissimilarity between its empirical motif profile and the mean motif profiles produced for that network by its corresponding abundance, morphology and phenology probability matrices. Bray–Curtis dissimilarity was used due to its robustness as a measure of ecological dissimilarity, and its regular use as a measure of dissimilarity of motif profiles specifically (Baker et al., 2015; Simmons, Cirtwill, et al., 2019; Simmons, Sweering, et al., 2019).

### 3 RESULTS

Different assembly processes produced significantly different motif distributions (MANOVA: $df = 4$, $F = 2,530.5$, $p < 0.001$): neutral processes (abundance) were associated with more occurrences of complete, asymmetric complete and fan motifs (motifs 6, 8, 11, 12, 16 and 17), while niche-based processes (morphological match and phenological overlap) were associated with more occurrences of core-peripheral motifs (motifs 5, 10 and 14; Figures 1b, 3 and 4). Furthermore,
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Some differences were observed between morphological matching and phenological overlap matrices: phenological overlap matrices had significantly higher frequencies of motif 9 (a core-peripheral motif) than morphological matching. For clarity, in the main text we only present results for morphological matching based on distance between corolla depth and bill length; results for morphological matching based on the forbidden link concept are given in Figures S2 and S3. Results were qualitatively similar, and conclusions identical, between the two morphological matching approaches.

Full motif distributions for all the empirical networks are given in Figure S1. Figure 5 compares empirical motif distributions to those expected under abundance, morphology and phenology processes. Each point represents one of the 24 empirical motif distributions from the 24 empirical networks. Dissimilarities are relative dissimilarities that sum to 1 for each network, as required for a ternary plot. For example, let the Bray-Curtis dissimilarities of a network’s empirical motif distribution from that network’s corresponding abundance, morphology and phenology motif distributions be 0.2, 0.2 and 0.2 respectively. Let another network have Bray-Curtis dissimilarities of 0.7, 0.7 and 0.7 respectively. In this example, both networks would be located in the centre of the ternary plot at coordinate 33.333%, 33.333%, 33.333%, indicating the equal relative importance of each of the three processes for both networks. Points are coloured by the sum of the three raw Bray-Curtis dissimilarities from each of the abundance, morphology and phenology processes. Thus, in the above example, the first network would be coloured based on its total dissimilarity of 0.6 (0.2 + 0.2 + 0.2) while the other second would be coloured based on its total dissimilarity of 2.1 (0.7 + 0.7 + 0.7). This allows the relative and absolute similarity of each of the three processes to be seen simultaneously.

FIGURE 5 Ternary plot showing the dissimilarity of 24 empirical motif distributions from the motif distributions that would be expected under abundance, morphology and phenology processes. Each point represents one of the 24 empirical motif distributions from the 24 empirical networks. Dissimilarities are relative dissimilarities that sum to 1 for each network, as required for a ternary plot. For example, let the Bray–Curtis dissimilarities of a network’s empirical motif distribution from that network’s corresponding abundance, morphology and phenology motif distributions be 0.2, 0.2 and 0.2 respectively. Let another network have Bray–Curtis dissimilarities of 0.7, 0.7 and 0.7 respectively. In this example, both networks would be located in the centre of the ternary plot at coordinate 33.333%, 33.333%, 33.333%, indicating the equal relative importance of each of the three processes for both networks. Points are coloured by the sum of the three raw Bray–Curtis dissimilarities from each of the abundance, morphology and phenology processes. Thus, in the above example, the first network would be coloured based on its total dissimilarity of 0.6 (0.2 + 0.2 + 0.2) while the other second would be coloured based on its total dissimilarity of 2.1 (0.7 + 0.7 + 0.7). This allows the relative and absolute similarity of each of the three processes to be seen simultaneously.

4 | DISCUSSION

We find that networks generated using different assembly processes have significantly different patterns of indirect interactions. Networks governed by neutral effects (species abundance) tend to have more densely connected complete, asymmetric complete and fan motifs where either (a) indirect interactions between plants/pollinators are mediated through a single pollinator/plant (fan motifs 8 and 17), or (b) indirect interactions may be strong because there are multiple
routes for indirect effects to travel at the same time (complete and asymmetric complete motifs 6, 11, 12 and 16; Figures 3 and 4). Conversely, networks produced assuming niche-based processes—those determined by morphology or phenology—contain more core-peripheral motifs that comprise a core of interacting generalists, supported by peripheral specialists (core-peripheral motifs 5, 10 and 14; Figures 3 and 4).

Neutral processes produced two main types of motifs. First, they produced motifs, where specialists affect each other indirectly via a single generalist (fan motifs, such as motifs 8 and 17). These fan motifs (Simmons, Cirtwill, et al., 2019) extend the classic apparent competition and exploitative competition structures from food webs (motifs 2 and 3) to having more than two specialists. Importantly, despite being generated by the same process, motifs 8 and 17 are likely to have different levels of competition between the specialist species. In motif 8, many plants compete for a single pollinator (Figure 1b). In this situation, competition is likely to be low between the plants, especially if the pollinator is abundant, as the plants only need one successful visit from a pollinator to disperse their pollen and reproduce. Conversely, in motif 17, multiple pollinators are competing for a single plant (Figure 1b). Here, competition is likely to be stronger, as pollinators are relying on the plant as a regular, limited food source. Importantly, however, these networks represent mutualistic interactions between species and thus it is also possible that ‘fan motifs’ represent indirect facilitative, rather than competitive, situations, where specialists indirectly benefit each other through interactions with a single generalist (Moeller, 2004; Sotomayor & Lortie, 2015). For example, the presence of a plant species could increase pollinator visits to one or more coflowering species, or multiple plant species could combine to form a large, shared floral display that increases pollinator visitation to all coflowering plants beyond what would be expected if each of the plants flowered in isolation. Whether indirect interactions are competitive or facilitative can depend on a range of factors, such as the distance between plants and their spatial configuration (Charlebois & Sargent, 2017). However, there is evidence that pollinator abundance can have an influence, with facilitation occurring above a threshold abundance and competition occurring below the threshold (Ye et al., 2014). Thus, combining motif analysis with information on empirical or simulated population dynamics could give insight into the directionality of indirect effects (Lever et al., 2014). Path analysis and structural equation modelling also could be used to shed light on the directionality of indirect effects (Donoso et al., 2017).

The second type of motif produced by neutral processes is complete and asymmetric complete motifs which have many links, providing many possible pathways through which indirect effects can flow (motifs 6, 11, 12 and 16). This likely results from the neutral model’s lack of consideration of ‘forbidden links’ (Canard et al., 2014; Jordano, 2016b): as long as two species are of sufficiently high abundance, they are able to interact, resulting in more pathways (Simmons, Vizentin-Bugoni, et al., 2019). This is in contrast to niche-based processes, where poor morphological matches or low temporal co-occurrence would prevent some interactions from being formed. This has important implications for whole-network dynamics, as it suggests that under neutral processes, the average length of the interaction chain between any two species will be lower, increasing the magnitude and number of indirect effects, but decreasing their localisation. In turn, this could allow the spread of perturbations through the community (Thébault & Fontaine, 2010). In complete motifs 6, 12 and 16, all plants interact with all pollinators. Here we might expect indirect interactions to be strong, as effects can be transmitted through multiple links simultaneously and the indirect interaction chains are shorter, but also less predictable (Simmons, Cirtwill, et al., 2019). For example, in motif 12, if a pollinator decreased in abundance, this would remove the mutualistic benefit to the three plant species, but could also reduce competition between the two pollinators (Simmons, Cirtwill, et al., 2019); further research is necessary to examine the complex dynamics that could occur in these motifs. Motif 11 represents a slightly different situation to that in 6, 12 and 16, as motif 11 has a single specialist interacting with a completely connected set of generalists. This is therefore an asymmetric complete motif, where it has been suggested that generalists have a stronger effect on the specialists than the specialists have on the generalists, as the generalists are able to buffer changes in each other’s abundances (Simmons, Cirtwill, et al., 2019).

Niche-based processes resulted in motifs with a core of interacting generalists, connected to peripheral specialists (core-peripheral motifs 5, 10 and 14). The indirect interaction pathways in these motifs can be highly complex. For example, in motif 5, there are four species: two plants in the top left (P_L) and top right (P_R), and two hummingbirds in the bottom left (H_L) and bottom right (H_R). One possible pathway is that P_L can negatively affect H_R indirectly, by providing a mutualistic benefit to H_R’s competitor H_L, and by competing with P_R, reducing the mutualistic benefit to H_R (Simmons, Cirtwill, et al., 2019; Vázquez et al., 2015). While a complete study of the dynamics of each motif is beyond the scope of this work, our results do suggest that niche-based processes restrict the sharing of interaction partners, thus forcing indirect pathways between species to be longer. Given that longer pathways likely have weaker indirect effects, niche-based processes likely reduce the magnitude of indirect effects in the community (Guimarães et al., 2017). In turn, this could limit the spread of perturbations through the network (Thébault & Fontaine, 2010).

While there were few differences between different niche-based processes, networks based on phenological overlap had significantly higher frequencies of motif 9 (a core-peripheral motif with two generalists interacting) and, when morphological matching was based on the forbidden link concept, significantly lower frequencies of motif 14 (a core-peripheral motif with three generalists interacting; Figures S2 and S3) than morphological matching models. This could reflect the degree of constraint between these two processes. A priori, it is difficult to say whether phenological overlap or morphological matching represents a greater constraint on species interactions. Phenological overlap requires species to co-occur in time to interact, but ignores species morphology, while morphological
matching only allows species to interact if the hummingbird bill length and floral corolla depth are sufficiently matching, regardless of temporal co-occurrence. For our data, the phenological overlap model produced significantly more motifs with two generalists, and significantly fewer motifs with three generalists, than the morphological matching model. This suggests that interactions between generalists are rarer under phenological overlap, indicating that lack of phenological overlap may impose more forbidden links than morphological mismatch in plant–hummingbird pollination systems.

Comparing empirical motif distributions to those expected under the three process models, revealed that, on average, empirical motif distributions are closest to those produced by the phenological overlap model, an intermediate distance from those produced by the neutral (abundance) model, and furthest from those produced by the morphological matching model (Figure 5). Plant–hummingbird communities are traditionally regarded as being dominated by niche-based processes (Sonne et al., 2020b; Vizentin-Bugoni et al., 2014), and thus our finding of the important role of phenological overlap is well supported by the literature. However, the result that empirical motif distributions are closer to those produced by an abundance model than a morphological matching model is surprising. Recent studies have found that the influence of niche-based processes varies spatially (Sonne et al., 2020b) and that abundance may play a more important role than previously recognised (Simmons, Vizentin-Bugoni, et al., 2019), which could explain our findings. Alternatively, our result could reflect the influence of different processes on different hierarchies of community structure. Here we are considering motifs, which capture meso-scale structure, and a previous study which also found an influence of abundance considered coarse patterns of generalisation (Simmons, Vizentin-Bugoni, et al., 2019). Conversely, studies which have found an influence of niche-based processes tend to consider individual interaction frequencies and identities (Maruyama et al., 2014; Vizentin-Bugoni et al., 2014, 2016; Weinstein & Graham, 2017). Our findings thus potentially provide further evidence of abundance determining relatively broad structural patterns in plant–hummingbird pollination networks, while niche-based processes determine individual pairwise interactions.

As expected, no empirical network perfectly resembled any of the simulated matrices used in this analysis because the simulated matrices are idealised networks that result from one process, while empirical networks are the product of multiple processes. However, by seeing where empirical networks fall along a structural gradient, which at one end has more of the motifs produced by neutral processes (complete, asymmetric complete and fan motifs) and at the other end has more of the motifs produced by niche-based processes (core-peripheral motifs), inferences could be made about the processes that are involved in shaping the network.

Those applying this approach to new systems can therefore look at the frequencies of different types of motifs in their networks and make inferences based on these raw counts. This is particularly powerful if multiple networks are sampled: by comparing the motif distributions of multiple networks, inferences can be made about the relative importance of different processes by seeing which communities have more or fewer neutral or niche-based motifs. Our simulated motif frequencies, where only one process is acting, could also be used as a benchmark for others to compare their own empirical networks against. It is an interesting area for future research to test whether our simulated motif frequencies are specific to our system or whether they could be used as a more general benchmark for other networks to be compared against. Finally, others could collect abundance, morphology and phenology data in their own system in a limited number of sites, or just one site, and then repeat our method to establish benchmark motif frequencies for the three processes in their own system. These benchmarks could then be compared to other networks in the same system without the need to collect abundance, morphology or phenology data for every network being sampled.

It is important to note that here we focus on binary indirect interaction structures. Incorporating quantitative information (interaction weights) could be relevant for understanding how perturbations spreading through a network affect final ecosystem functions, such as pollen deposition, though this was not our aim here. Given that little is known about the effects of different processes on indirect mutualistic interactions, we chose to first understand specific binary structures (Figure 1). However, now this groundwork has been laid, future research could try and address the questions raised here using quantitative motif analyses. Methods for conducting quantitative bipartite motif analyses have only been developed very recently (e.g. Bramon Mora et al., 2018; Simmons, Sweering, et al., 2019), and so much work is first needed to understand how to use and interpret the information these analyses produce, but this is a promising direction for future research.

Another future research direction is to determine whether, or under what conditions, different indirect interaction structures are facilitative or competitive. In silico dynamics modelling would be one way to approach this question; however, it may also be possible to address empirically. If competition is dominant, we might expect to see more coflowering plants in motifs with longer path lengths in order for plants to avoid strong competition, and thus also more non-coflowering plants in motifs with shorter path lengths. A corollary of this statement is that, if facilitation was dominant, we might expect to see more coflowering plants in motifs with shorter path lengths in order for plants to benefit from strong facilitation, and fewer coflowering plants in motifs with longer paths to avoid missing out on the facilitative benefits. Thus, by comparing the relative proportion of flowering and non-flowering species in different motifs, conclusions could be made about the relative strength of indirect facilitative or competitive effects in different motifs.

Here we shed light on the different processes associated with patterns of indirect interactions in mutualistic networks, quantified using motifs. As well as being ecologically interesting in its own right, our results are also useful for interpreting the results of motif analyses and for generating motif-driven hypotheses. For example, networks with a high proportion of invasive species may be expected to have higher frequencies of motifs associated with neutral effects,
because invasive species lack the coevolutionary associations of native species (Vizentin-Bugoni et al., 2019). Overall, our results link indirect interaction structures to distinct generative processes. The normalised motif profiles we present represent a baseline of what structures would be expected in communities dominated by morphological matching, phenological overlap or neutral effects. By measuring the similarity of motif profiles from empirical networks to those idealised profiles presented here, it may be possible to infer the processes acting in a community from the indirect interaction topology alone, and thus inform the type of conservation actions that are needed. Further research along this line is necessary, alongside empirical validation, but our findings suggest potential for using structure as a proxy for processes in a conservation context.

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AUTHORS’ CONTRIBUTIONS
B.I.S. conceived the idea, conducted the analyses and wrote the first draft of the manuscript; C.T. assisted with analysis and figures; P.K.M., J.V.-B. and B.D. compiled data. All authors contributed critically to subsequent drafts.

DATA AVAILABILITY STATEMENT
All data used in this analysis are publicly available from https://doi.org/10.5061/dryad.dncjsxkw2 (Sonne et al., 2020a, 2020b).

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REFERENCES


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